Introduction

The physical properties of colloids (nanoparticles) and suspensions are strongly dependent on the nature and extent of the particle-liquid interface. The behavior of aqueous dispersions between particles and liquid is especially sensitive to the ionic and electrical structure of the interface.

Zeta potential is a parameter that measures the electrochemical equilibrium at the particle-liquid interface. It measures the magnitude of electrostatic repulsion/attraction between particles and thus, it has become one of the fundamental parameters known to affect stability of colloidal particles. It should be noted that that term stability, when applied to colloidal dispersions, generally means the resistance to change of the dispersion with time. Figure 1 illustrates the basic concept of zeta potential.

![Figure 1](image.png)

Figure 1 Schematic representation of the ionic concentration and potential difference as a function of distance from the charged surface of a particle suspended in a dispersion medium.

From the fundamental theory’s perspective, zeta potential is the electrical potential in the interfacial double layer (DL) at the location of the slipping plane (shown in Figure 1). We can regard zeta potential as the potential difference between the dispersion medium and the stationary layer of the fluid attached to the particle layer. Therefore, in experimental concerns, zeta potential is key factor in processes such as the preparation of colloidal dispersions, utilization of colloidal phenomena and the destruction of unwanted colloidal dispersions. Moreover, zeta potential analysis and measurements nowadays have a lot of real-world applications. In the field of biomedical research, zeta potential measurement, in contrast to chemical methods of analysis which can disrupt the organism, has the particular merit of providing information referring to the outermost regions of an organism. It is also largely utilized in water purification and treatment. Zeta potential analysis has established optimum coagulation conditions for removal of particulate matter and organic dyestuffs from aqueous waste products.
Brief History and Development of Zeta Potential

Zeta potential is a scientific term for electrokinetic potential in colloidal dispersions. In prior literature, it is usually denoted using the Greek letter zeta, Ζ, hence it has obtained the name zeta potential as Z-potential. The earliest theory for calculating Zeta potential from experimental data was developed by Marian Smoluchowski in 1903 (Figure \(\PageIndex{2}\)). Even till today, this theory is still the most well-known and widely used method for calculating zeta potential.

Interestingly, this theory was originally developed for electrophoresis. Later on, people started to apply his theory in calculation of zeta potential. The main reason that this theory is powerful is because of its universality and validity for dispersed particles of any shape and any concentration. However, there still some limitations to this early theory as it was mainly determined experimentally. The main limitations are that Smoluchowski’s theory neglects the contribution of surface conductivity and only works for particles which have sizes much larger than the interface layer, denoted as \(\kappa a\) (\(1/\kappa\) is called Debye length and \(a\) is the particle radius).

Overbeek and Booth as early pioneers in this direction started to develop more theoretical and rigorous electrokinetic theories that were able to incorporate surface conductivity for electrokinetic applications. Modern rigorous electrokinetic
theories that are valid almost any ka mostly are generated from Ukrainian (Dukhin) and Australian (O'Brien) scientists.

**Principle of Zeta Potential Analysis**

**Electrokinetic Phenomena**

Because an electric double-layer (EDL) exists between a surface and solution, then any relative motion between the rigid and mobile parts of the EDL will result in the generation of an electrokinetic potential. As described above, zeta potential is essentially a electrokinetic potential which rises from electrokinetic phenomena. So it is important to understand different situations where electrokinetic potential can be produced. There are generally four fundamental ways which zeta potential can be produced, via electrophoresis, electro-osmosis, streaming potential, and sedimentation potential as shown from Figure 3.

**Calculations of Zeta Potential**

There are many different ways of calculating zeta potential. In this section, the methods of calculating zeta potential in electrophoresis and electroosmosis will be introduced.

**Zeta Potential in Electrophoresis**

Electrophoresis is the movement of charged colloidal particles or polyelectrolytes, immersed in a liquid, under the influence of an external electric field. In such case, the electrophoretic velocity, $v_e$ (ms$^{-1}$) is the velocity during electrophoresis and the electrophoretic mobility, $u_e$ (m$^{-2}$ V$^{-1}$ s$^{-1}$) is the magnitude of the velocity divided by the magnitude of the electric field strength. The mobility is counted positive if the particles move toward lower potential and
Thus, the formula accounted for zeta potential in electrophoresis case is given in EQ, where $\varepsilon_{rs}$ is the relative permittivity of the electrolyte solution, $\varepsilon_0$ is the electric permittivity of vacuum and $\eta$ is the viscosity.

\[
\mathit{u}_{e} = \frac{\varepsilon_{rs} \varepsilon_{0} \zeta}{\eta} \tag{1}
\]

\[
\mathit{v}_{e} = \frac{\varepsilon_{rs} \varepsilon_{0} \zeta}{\eta} E \tag{2}
\]

There are two cases regarding the size of $\kappa a$:

1. $\kappa a < 1$: the formula is similar, \ref{3}.

2. $\kappa a > 1$: the formula is rather complicated and we need to solve equation for zeta potential, \ref{4}, where $(ym e \zeta) = el \zeta /kT)$, $m$ is about 0.15 for aqueous solution.

\[
\mathit{u}_{e} = \frac{2}{3} \frac{\varepsilon_{rs} \varepsilon_{0} \zeta}{\eta} \tag{3}
\]

\[
\frac{3}{2} \frac{\eta e}{\varepsilon_{rs} \varepsilon_{0}kT} \mathit{u}_{e} = \frac{3}{2} y^{ek} - \frac{6[y^{ek}/2 - \ln 2/\zeta(1 - e^{-\zeta y^{ek}})]}{2 + \frac{ka}{1 + 3m/\zeta^2} e^{\zeta y^{ek}/2}} \tag{4}
\]

**Zeta Potential in Electroosmosis**

Electroosmosis is the motion of a liquid through an immobilized set of particles, a porous plug, a capillary, or a membrane, in response to an applied electric field. Similar to electrophoresis, it has the electroosmotic velocity, $v_{eo}$ (ms$^{-1}$) as the uniform velocity of the liquid far from the charged interface. Usually, the measured quantity is the volume flow rate of liquid divided by electric field strength, $Q_{eo,E}$ (m$^4$ V$^{-1}$ s$^{-1}$) or divided by the electric current, $Q_{eo,I}$ (m$^3$ C$^{-1}$). Therefore, the relationship is given by \ref{5}.

\[
Q_{\text{eo}} = \int \int v_{eo} dS \tag{5}
\]

Thus the formula accounted for Zeta potential in electroosmosis is given in EQ.

As with electrophoresis there are two cases regarding the size of $\kappa a$:

- $\kappa a >> 1$ and there is no surface conduction, where $A c$ is the cross-section area and $KL$ is the bulk conductivity of particle.
- $\kappa a < 1$, \ref{6}, where $(\Delta u = \frac{K^\sigma}{KL})$ is the Dukhin number account for surface conductivity, $(K^\sigma)$ is the surface conductivity of the particle.

\[
Q_{\text{eo , E}} = \frac{-\varepsilon_{rs} \varepsilon_{0} \zeta}{\eta} Ac \tag{6}
\]

\[
Q_{\text{eo , I}} = \frac{-\varepsilon_{rs} \varepsilon_{0} \zeta}{\eta} \frac{1}{KL} \tag{7}
\]

\[
Q_{\text{eo , I}} = \frac{-\varepsilon_{rs} \varepsilon_{0} \zeta}{\eta} \frac{1}{KL(1 + 2\Delta u)} \tag{6}
\]
Relationship Between Zeta Potential and Particle Stability in Electrophoresis

Using the above theoretical methods, we can calculate zeta potential for particles in electrophoresis. The following table summarizes the stability behavior of the colloid particles with respect to zeta potential. Thus, we can use zeta potential to predict the stability of colloidal particles in the electrokinetic phenomena of electrophoresis.

<table>
<thead>
<tr>
<th>Zeta Potential (mV)</th>
<th>Stability behavior of the particles</th>
</tr>
</thead>
<tbody>
<tr>
<td>0 to ±5</td>
<td>Rapid Coagulation or Flocculation</td>
</tr>
<tr>
<td>±10 to ±30</td>
<td>Incipient Instability</td>
</tr>
<tr>
<td>±30 to ±40</td>
<td>Moderate Stability</td>
</tr>
<tr>
<td>±40 to ±60</td>
<td>Good Stability</td>
</tr>
<tr>
<td>More than ±61</td>
<td>Excellent Stability</td>
</tr>
</tbody>
</table>

*Table 1* Stability behavior of the colloid particles with respect to zeta potential.

Instrumentation

In this section, a market-available zeta potential analyzer will be used as an example of how experimentally zeta potential is analyzed. Figure 4 shows an example of a typical zeta potential analyzer for electrophoresis.

![ZetaView](image)

**Figure 4** Typical zeta potential analyzer for electrophoresis.

The inside measuring principle is described in the following diagram, which shows the detailed mechanism of zeta potential analyzer (Figure 5).
When a voltage is applied to the solution in which particles are dispersed, particles are attracted to the electrode of the opposite polarity, accompanied by the fixed layer and part of the diffuse double layer, or internal side of the "sliding surface". Using the following formula below of this specific Analyzer and the computer program, we can obtain the zeta potential for electrophoresis using this typical zeta potential analyzer (Figure \( \PageIndex{6} \)).

\[
\zeta = \frac{4\pi \eta}{\varepsilon} \times U \times 300 \times 300 \times 1000
\]

\( \zeta \) = Zeta Potential (mF)
\( \eta \) = Viscosity of Solution
\( \varepsilon \) = Dielectric Constant
\( U = \frac{v}{V/L} \) : Electrophoretic Mobility
\( v \) = Speed of Particle (cm/sec)
\( V \) = Voltage (V)
\( L \) = The distance of Electrod...