The ideal gas law can also be rearranged to show that the pressure of a gas is proportional to the amount of gas:

\[ P = \frac{RT}{V} \quad \text{(1)} \]

Thus the factor \( \frac{RT}{V} \) may be used to interconvert amount of substance and pressure in a container of specified volume and temperature.

Equation (1) is also useful in dealing with the situation where two or more gases are confined in the same container (i.e., the same volume). Suppose, for example, that we had 0.010 mol of a gas in a 250-ml container at a temperature of 32°C. The pressure would be

\[
\begin{align*}
P & = \frac{RT}{V} \cdot n = \frac{0.0820 \text{ liter atm mol}^{-1} \text{ K}^{-1} \times 305 \text{ K}}{0.250 \text{ liter}} \times 0.010 \text{ mol} \\
& = 1.00 \text{ atm}
\end{align*}
\]

Now suppose we filled the same container with 0.004 mol \( \text{H}_2(g) \) at the same temperature. The pressure would be

\[
\begin{align*}
p_{\text{H}_2} & = \frac{0.0820 \text{ liter atm mol}^{-1} \times 305 \text{ K}}{0.250 \text{ liter}} \times 0.004 \text{ mol} \\
& = 0.40 \text{ atm}
\end{align*}
\]

If we put 0.006 mol \( \text{N}_2 \) in the container,

\[
\begin{align*}
p_{\text{N}_2} & = \frac{0.0820 \text{ liter atm mol}^{-1} \times 305 \text{ K}}{0.250 \text{ liter}} \times 0.006 \text{ mol} \\
& = 0.60 \text{ atm}
\end{align*}
\]

Now suppose we put both the 0.004 mol \( \text{H}_2 \) and the 0.006 mol \( \text{N}_2 \) into the same flask together. What would the pressure be? Since the ideal gas law does not depend on which gas we have but only on the amount of any gas, the pressure of the \( (0.004 + 0.006) \) mol, or 0.010 mol, would be exactly what we got in our first calculation. But this is just the sum of the pressure that \( \text{H}_2 \) would exert if it occupied the container alone plus the pressure of \( \text{N}_2 \) if it were the only gas present. That is,

\[
P_{\text{total}} = p_{\text{H}_2} + p_{\text{N}_2}
\]

The figure below demonstrates the concept of partial pressure in more concrete terms, showing the pressure of each gas alone in a container and then showing the gases combined pressure once mixed.

**Figure (PageIndex{1})**: Above, the figure shows how Dalton's law of partial pressure works. Alone, Hydrogen has a pressure of 0.4 atm, while Nitrogen has a pressure of 0.6 atm. When placed in the same container, the total pressure is 1 atm, with each gas contributing its partial pressure. Image credits: OpenStax College
We have just worked out an example of **Dalton's law of partial pressures** (named for John Dalton, its discoverer). This law states that in a mixture of two or more gases, the total pressure is the sum of the partial pressures of all the components. The **partial pressure** of a gas is the pressure that gas would exert if it occupied the container by itself. Partial pressure is represented by a lowercase letter $p$.

Dalton’s law of partial pressures is most commonly encountered when a gas is collected by displacement of water, as shown in Fig. 2.

![Figure](image)

**Figure (PageIndex[2]):** The total pressure exerted by a wet gas is equal to the sum of the partial pressure of the gas itself + the vapor pressure of water at that temperature. (At 20°C the vapor pressure of water is 17.3 mmHg.)

Because the gas has been bubbled through water, it contains some water molecules and is said to be "wet." The total pressure of this wet gas is the sum of the partial pressure of the gas itself and the partial pressure of the water vapor it contains. The latter partial pressure is called the **vapor pressure** of water. It depends only on the temperature of the experiment and may be obtained from a handbook or from Table 1.

**TABLE (PageIndex[1]):** Vapor Pressure of Water as a Function of Temperature.

<table>
<thead>
<tr>
<th>Temperature(°C)</th>
<th>Vapor Pressure (mmHg)</th>
<th>Vapor Pressure (kPa)</th>
</tr>
</thead>
<tbody>
<tr>
<td>0</td>
<td>4.6</td>
<td>0.61</td>
</tr>
<tr>
<td>5</td>
<td>6.5</td>
<td>0.87</td>
</tr>
<tr>
<td>10</td>
<td>9.2</td>
<td>1.23</td>
</tr>
<tr>
<td>15</td>
<td>12.8</td>
<td>1.71</td>
</tr>
<tr>
<td>20</td>
<td>17.5</td>
<td>2.33</td>
</tr>
<tr>
<td>25</td>
<td>23.8</td>
<td>3.17</td>
</tr>
<tr>
<td>30</td>
<td>31.8</td>
<td>4.24</td>
</tr>
</tbody>
</table>
Example \(\PageIndex{1}\): Volume of Hydrogen

Assume 0.321 g zinc metal is allowed to react with excess hydrochloric acid (an aqueous solution of HCl gas) according to the equation

\[
\text{Zn} (s) + 2 \text{HCL} (aq) \rightarrow \text{Zn} \text{Cl}_{2} (aq) + \text{H}_{2} (g)
\]

The resulting hydrogen gas is collected over water at 25°C, while the barometric pressure is 745.4 mmHg. What volume of wet hydrogen will be collected?

Solution From Table 1 we find that at 25°C the vapor pressure of water is 23.8 mmHg. Accordingly

\[
\rho_{H_2} = \rho_{\text{total}} - \rho_{H_2O} = 754 \text{ mmHg} - 23.8 \text{ mmHg} = 721.6 \text{ mmHg}.
\]

This must be converted to units compatible \(R\):

\[
[p_{\text{H}_2}=\frac{\text{721.6 mmHg}}{760 \text{ mmHg}}=0.949 \text{ atm}]
\]

The road map for this problem is

\[
\begin{align*}
\text{m}_{\text{Zn}} & \xrightarrow{M_{\text{Zn}}} \text{n}_{\text{Zn}} \xrightarrow{S(\text{H}_2/Zn)} \text{n}_{\text{H}_2} \xrightarrow{RT/P} V_{\text{H}_2}
\end{align*}
\]

Thus

\[
\begin{align}
V_{\text{H}_2} &= \frac{0.321 \text{ g Zn}}{65.38 \text{ g Zn}} \times \frac{1 \text{ mol Zn}}{2 \text{ mol Zn}} \times \frac{0.0820 \text{ liter atm}}{1 \text{ K mol H}_2} \times \frac{293\text{ K}}{0.987 \text{ atm}} \times \frac{0.15 \text{ K}}{0.987 \text{ atm}} \times \frac{1 \text{ K mol H}_2}{2 \text{ mol Zn}} \times \frac{0.820 \text{ liter atm}}{1 \text{ K mol H}_2} \times \frac{0.15 \text{ K}}{0.987 \text{ atm}} \times \frac{1 \text{ K mol H}_2}{2 \text{ mol Zn}}
\end{align}
\]

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